

Arithmetic Pipeline

Arithmetic Pipeline

- Arithmetic pipeline units are usually found in very high speed computers.
- They are used to implement floating point operations, multiplication of fixed point numbers and similar computations.
- Floating point operations are easily decomposed into sub operation.
- The i/p to the floating point adder pipeline are two normalized floating point binary numbers

$$X = A \times 2^a$$

$$Y = B \times 2^b$$

Where A and B are the fraction that represents mantissa and a & b are the exponent

ARITHMETIC PIPELINE

Floating-point adder

- [1] Compare the exponents
- [2] Align the mantissa
- [3] Add/sub the mantissa
- [4] Normalize the result

$$X = A \times 10^a = 0.9504 \times 10^3$$

$$Y = B \times 10^b = 0.8200 \times 10^2$$

1) Compare exponents :

$$3 - 2 = 1$$

2) Align mantissas

$$X = 0.9504 \times 10^3$$

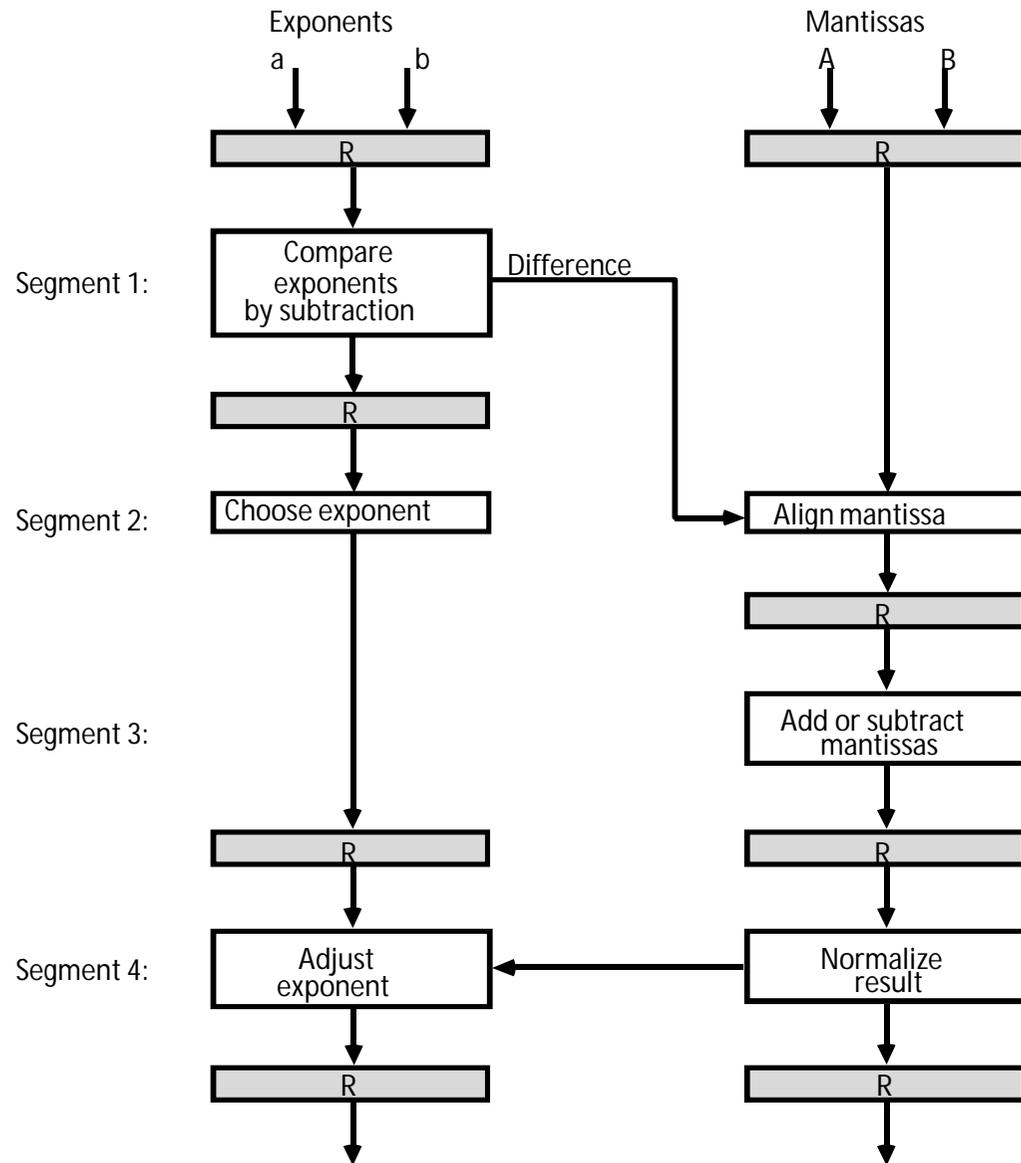
$$Y = 0.08200 \times 10^3$$

3) Add mantissas

$$Z = 1.0324 \times 10^3$$

4) Normalize result

$$Z = 0.10324 \times 10^4$$



Arithmetic Pipeline

- The exponents are compared by subtracting them to their difference. The larger exponent is chosen as the exponent of the result.
- The exponent difference determines how many times the mantissa associated with smaller exponent must be shifted to the right.
- The result is normalized in segment 4. when an overflow occurs, the mantissa is shifted right and exponent is incremented by 1.
- If an underflow occurs the number of leading zero's in the mantissa determines number of left shift in the mantissa and the exponent is subtracted accordingly.