

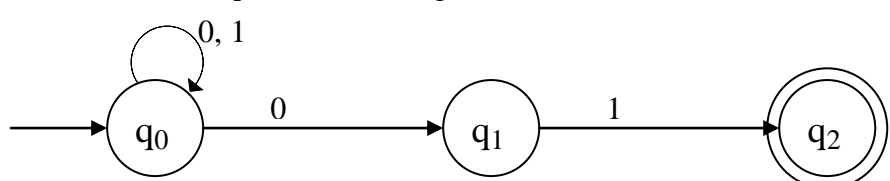
Sreenivasa Institute of Technology and Management Studies (Autonomous)
Chittoor - 517127

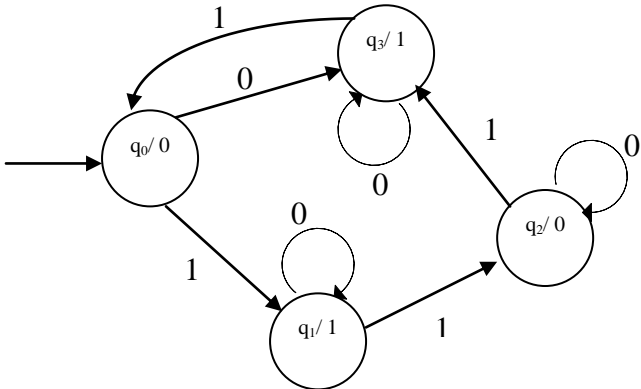
DEPARTMENT OF COMPUTER SCIENCE & ENGINEERING

Year / Sem : II / II
Sub. Code & Subject : 18CSE225 – Formal Languages and Automata Theory
Prepared by : Dr. D. Jagadeesan, Professor / CSE

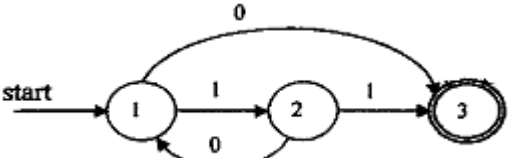
QUESTION BANK

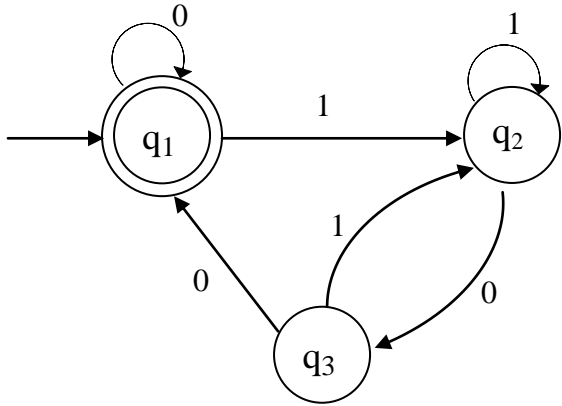
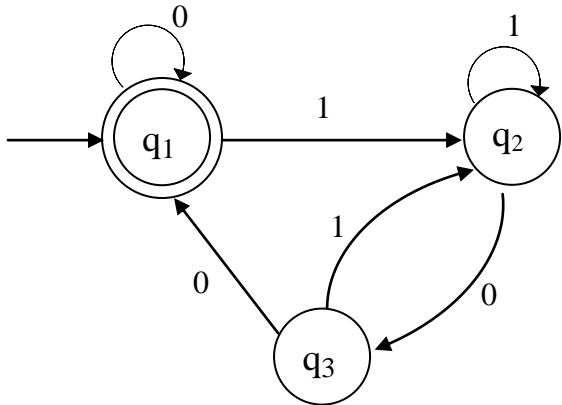
Unit – I

Sl. No	Questions	CO	PO	BT
Part - A				
1	Write down the operations on set.	1	1	1
2	List any three applications of Automata Theory.	1	1	1
3	Define Finite Automation.	1	1	1
4	Define Deterministic Finite Automation.	1	1	1
5	Define Non-Deterministic Finite Automation.	1	1	1
6	Define NFA with ϵ transition.	1	1	1
7	Design FA which accepts odd number of 1's and any number of 0's.	1	2,3	6
8	Design FA to check whether given unary number is divisible by three.	1	2,3	6
9	Design FA to check whether given binary number is divisible by three.	1	2,3	6
10	Design FA to accept the string that always ends with 00.	1	2,3	6
11	Obtain the ϵ closure of states q_0 and q_1 in the following NFA with ϵ transition.	1	2	5
12	Obtain ϵ closure of each state in the following NFA with ϵ move.	1	2	5
13	Explain a transition diagram.	1	1	2
14	Explain a transition table.	1	1	2
15	Explain the transition function.	1	1	2
16	Differentiate DFA and NFA?	1	2	2
17	Write notes on Moore Machine.	1	1	6
18	Write the formal definition of Moore Machine.	1	1	6
19	Short notes on Mealy Machine.	1	1	1
20	Write the formal definition of Mealy Machine.	1	1	6
21	Compare the Mealy and Moore Model?	1	2	5
Part – B				
22	Design FA to accept the string that always ends with 00.	1	2,3	6
23	Design FA to check whether given binary number is divisible by three.	1	2,3	6
24	Show that "For every NFA, there exists a DFA which simulates the behavior of NFA. If L is the set accepted by NFA, then there exists a DFA which also accepts L".	1	2	1
25	Show that "If L is accepted by NFA with ϵ -moves, then there exists L which is accepted by NFA without ϵ -moves.	1	2	1
26	Construct DFA equivalent to the given NFA 	1	2,3	6

27	<p>Let $M = (\{q_0, q_1\}, \{0,1\}, \delta, q_0, \{q_1\})$ be NFA. Where $\delta(q_0, 0) = \{q_0, q_1\}$, $\delta(q_0, 1) = \{q_1\}$, $\delta(q_1, 0) = \{\phi\}$, $\delta(q_1, 1) = \{q_0, q_1\}$. Construct its equivalent DFA.</p>	1	2,3	6																													
28	<p>Let $M = (\{q_0, q_1, q_2, q_3\}, \{0,1\}, \delta, q_0, \{q_2, q_3\})$ be ϵ-NFA. Where $\delta(q_0, 0) = \{q_0, q_1\}$, $\delta(q_0, 1) = \{q_1\}$, $\delta(q_1, 0) = \{q_2, q_3\}$, $\delta(q_1, \epsilon) = \{q_1\}$, $\delta(q_1, 1) = \{q_0, q_1\}$, $\delta(q_2, 0) = \{q_2\}$, $\delta(q_2, \epsilon) = \{q_3\}$, $\delta(q_2, 1) = \{q_0, q_3\}$, $\delta(q_3, 0) = \{q_3\}$, $\delta(q_3, 1) = \{q_2, q_3\}$, $\delta(q_3, \epsilon) = \{q_0\}$. Construct its equivalent DFA.</p>	1	2,3	6																													
29	<p>Consider the following ϵ-NFA. Compute the ϵ-closure of each state and find its equivalent DFA.</p> <table border="1" data-bbox="536 568 935 792"> <tr> <td></td> <td>ϵ</td> <td>a</td> <td>b</td> <td>c</td> </tr> <tr> <td>p</td> <td>Φ</td> <td>{p}</td> <td>{q}</td> <td>Φ</td> </tr> <tr> <td>q</td> <td>{p}</td> <td>{q}</td> <td>{r}</td> <td>Φ</td> </tr> <tr> <td>*r</td> <td>{q}</td> <td>{r}</td> <td>ϕ</td> <td>{p}</td> </tr> </table>		ϵ	a	b	c	p	Φ	{p}	{q}	Φ	q	{p}	{q}	{r}	Φ	*r	{q}	{r}	ϕ	{p}	1	2,3	5									
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*r	{q}	{r}	ϕ	{p}																													
30	<p>Convert a NFA which accepts the string ends with 01 to a DFA.</p>	1	2,3	5																													
31	<p>Consider the Moore machine described by the transition diagram given below. To construct a Mealy machine, which is equivalent to moore machine</p> 	1	2,3	5																													
32	<p>Consider the Mealy machine described by the transition table given below. To construct a Moore machine, which is equivalent to mealy machine?</p> <table border="1" data-bbox="260 1473 1209 1877"> <thead> <tr> <th rowspan="2">Present State</th> <th colspan="2">input = 0</th> <th colspan="2">input = 1</th> </tr> <tr> <th>Next State</th> <th>Output</th> <th>Next State</th> <th>Output</th> </tr> </thead> <tbody> <tr> <td>$\rightarrow q_1$</td> <td>q3</td> <td>0</td> <td>q2</td> <td>0</td> </tr> <tr> <td>q2</td> <td>q1</td> <td>1</td> <td>q4</td> <td>0</td> </tr> <tr> <td>q3</td> <td>q2</td> <td>1</td> <td>q1</td> <td>1</td> </tr> <tr> <td>q4</td> <td>q4</td> <td>1</td> <td>q3</td> <td>0</td> </tr> </tbody> </table>	Present State	input = 0		input = 1		Next State	Output	Next State	Output	$\rightarrow q_1$	q3	0	q2	0	q2	q1	1	q4	0	q3	q2	1	q1	1	q4	q4	1	q3	0	1	2,3	5
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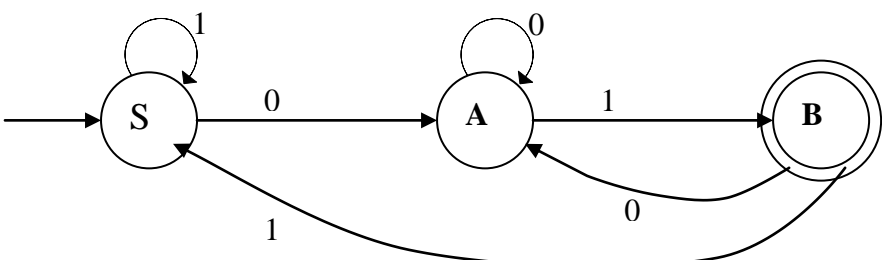
Unit – II

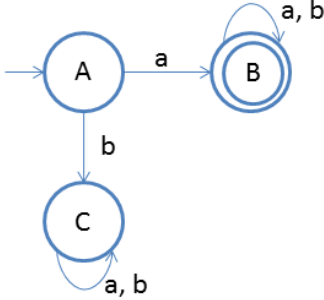
Sl. No	Questions	CO	PO	BT
Part - A				
1	State regular expression.	2	1	1
2	How the kleen's closure of L can be denoted?	2	1,2	4
3	How do you represent positive closure of L?	2	1,2	4
4	Write the regular expression for the language accepting all combinations of a's over the set $\Sigma = \{a\}$.	2	2,3	6
5	Write regular expression for the language accepting the strings which are starting with 1 and ending with 0, over the set $\Sigma = \{0,1\}$.	2	2,3	6
6	Show that $(0^*1^*)^* = (0+1)^*$.	2	2	2
7	Show that $(r+s)^* \neq r^* + s^*$.	2	2	2
8	If $L = \{ \text{The language starting and ending with 'a' and having any combinations of b's in between, that what is r?} \}$	2	2,3	4
9	Give regular expression for $L = L1 \cap L2$ over alphabet $\{a,b\}$ where $L1 =$ all strings of even length $L2 =$ all strings starting with 'b'.	2	2,3	2
10	Explain the application of the pumping lemma.	2		3
11	Describe the following by regular expression a. $L1 =$ the set of all strings of 0's and 1's ending in 00. b. $L2 =$ the set of all strings of 0's and 1's beginning with 0 and ending with 1.	2	2,3	1
12	Show that $(r^*)^* = r^*$ for a regular expression r.	2	2	2
13	Write down the closure properties of regular language.	2	3	6
14	What is pumping lemma?	2	2	4
15	State Arden's theorem.	2	1	1
16	What is dead state?	2	2	4
Part – B				
17	Show that 'r' be a regular expression, the there exists an NFA with ϵ transitions that accepts $L\{r\}$.	2	2	2
18	Construct the NFA with ϵ for the regular expression using Thomson construction method. a. $0(0+1)^*100$ b. $a(a+b)^*b$	2	2,3	6
19	Obtain the equivalent DFA from the following regular expressions a. $(a+b)^*abb$ b. $(00+11)^*(0+1)^*$	2	2,3	5
20	Show that the following languages are not regular using pumping lemma a. $L = \{0^i 1^i ; i \geq 1\}$ b. $L = \{a^p ; p \text{ is prime}\}$	2	2,3	2
21	Find the regular expression for the set of all strings denotes by $(R_{13})^2$ from the deterministic finite automata given below 	2	2,3	5

22	<p>Obtain the regular expression using Arden's theorem from the given DFA.</p> 	2	2,3	5
23	<p>Obtain the regular expression using state elimination method from the given DFA.</p> 	2	2,3	5

Unit – III

Sl. No	Questions	CO	PO	BT
Part - A				
1	Obtain the Right Linear Grammar from the given Left Linear Grammar	3	1	5
2	Let $G = (\{S,C\}, \{a,b\}, P,S)$ where P consists of $S \rightarrow aCa, C \rightarrow aCa$, Find $L(G)$?	3	2	5
3	Consider G whose productions are $S \rightarrow aAS / a, A \rightarrow SbA / SS / ba$, show that $S \rightarrow aabbaa$ and construct a derivation tree.	3	2	2
4	Find $L(G)$ where $G = (\{S\}, \{0,1\}, \{S \rightarrow 0S1, s \rightarrow \epsilon\}, S)$	3	2	5
5	Construct a CFL from the given grammar $S \rightarrow aaA, A \rightarrow S / a$	3	2	6
6	Define a derivation tree for CFG.	3	1	1
7	Construct CFG $L = \{a^n b^n; n \geq 1\}$.	3	2,3	6
8	Find a LM derivation for $aaabbabbba$ with the productions.	3	2	5
9	Find $L(G), S \rightarrow aSb, S \rightarrow ab$.	3	2	5
10	Show that $id^* id$ can be generated by two distinct leftmost derivation in the grammar	3	2	2

11	Write a CFG for the set of strings which does not produce any palindromes.	3	2	6
12	Find the derivation tree for the grammar $G = (\{S, A, B\}, \{a,b\}, P, S)$ Where P is given by $S \rightarrow Aa / bB$ $A \rightarrow ab$ $B \rightarrow aBb / a$	3	2	5
13	Define parse tree.	3	1	1
14	What are the two major normal forms for context-free grammar?	3	2	4
15	What is a useless symbol?	3	2	4
16	Define Nullable Variable?	3	1	1
17	Let $G = (V, T, P, S)$ with the productions given by $S \rightarrow aSbS / B / \epsilon$ $B \rightarrow abB$ Eliminate the useless production.	3	2	5
18	What is a useful production?	3	2	4
19	Determine whether the grammar G has a useless production? $S \rightarrow A$ $A \rightarrow aA / \epsilon$ $B \rightarrow bA$	3	2	4
20	Write a procedure to eliminate ϵ production.	3	2	6
21	Write the procedure to eliminate the unit productions.	3	2	6
22	Define CNF.	3	1	1
23	Define GNf.	3	1	1
Part – B				
24	Consider the Grammar G whose productions are $S \rightarrow 0B / 1A$ $A \rightarrow 0 / 0S / 1AA$ $B \rightarrow 1 / 1S / 0BB$ and the string 0110 a. Find the left most derivation and associated derivation tree. b. Find the right most derivation and associated derivation tree. c. Show that the G is ambiguous. d. Find $L(G)$	3	2	5
25	Consider the Grammar whose productions are $S \rightarrow aAS / a$ $A \rightarrow SbA / SS / ba$ a. Construct a LMD and RMD Tree for $S \Rightarrow^* aabbaa$ b. Find the above grammar is ambiguous or unambiguous.	3	2	5
26	Construct Right Linear Grammar from the given Finite Automata 	3	2,3	6

27	<p>Construct Left Linear Grammar from the given Finite Automata</p> 	3	2,3	6
28	<p>Construct a Finite Automata from the following Right Linear Grammar</p> <p>a) $A \rightarrow aB/bA/b$ $B \rightarrow aC/bB$ $C \rightarrow aA/bC/a$</p> <p>b) $S \rightarrow A / B / \epsilon$ $A \rightarrow /1B/0$ $B \rightarrow 0S/1A/1$</p>	3	2,3	6
29	<p>Construct a Finite Automata from the following Left Linear Grammar</p> <p>a) $A \rightarrow Ba/Ab/b$ $B \rightarrow Ca/Bb$ $C \rightarrow Aa/Cb/a$</p> <p>b) $S \rightarrow Aab / Aba / B / \epsilon$ $A \rightarrow Sb / b$ $B \rightarrow Sa$ $C \rightarrow \epsilon$</p>	3	2,3	6
30	<p>Consider the grammar</p> <p>$S \rightarrow 0A0 / 1B1 / BB$ $A \rightarrow C$ $B \rightarrow S / A$ $C \rightarrow S / \epsilon$ and simplify using the same order</p> <p>a. Eliminate ϵ-Productions b. Eliminate unit productions c. Eliminate useless symbols</p>	3	2,3	5
31	<p>Let G be the following grammar with productions:</p> <p>a) $S \rightarrow bA / aB$ $A \rightarrow bAA / aS / \epsilon$ $B \rightarrow aBB / bS / b$. Convert the above grammar G into CNF</p> <p>b) $S \rightarrow 0A0 / 1B1 / BB$ $A \rightarrow C$ $B \rightarrow S / A$ $C \rightarrow S / \epsilon$. Convert the above grammar G into CNF</p>	3	2,3	5
32	<p>Find the GNF equivalent of the given grammar</p> <p>$S \rightarrow AA / 0$ $A \rightarrow SS / 1$</p>	3	2,3	5
33	<p>Consider the Grammar $G = (\{S,A,B\}, \{a,b\}, P, S)$ as the productions</p> <p>$S \rightarrow AB$ $A \rightarrow BS / b$ $B \rightarrow SA / a$ Convert it into GNF.</p>	3	2,3	5

Unit – IV

Sl. No	Questions	CO	PO	BT
Part – A				
1	Define pushdown automaton.	4	1	1
2	What are the different ways of language acceptances by a PDA and define them.	4	2	4
3	Construct a PDA that accepts the language generated by the grammar $S \rightarrow aSbb / aab$	4	2,3	6
4	Construct a PDA that accepts the language generated by the grammar $S \rightarrow aABB, A \rightarrow aB / a, B \rightarrow bA / b$	4	2,3	6
5	How do you convert CFG to a PDA.	4	2	6
6	Define Deterministic PDA.	4	1	1
7	Is it true that NDPA is more powerful than that of DPDA? Justify your answer.	4	2	5
8	Is it true that the language accepted by a PDA by empty stack and final states are different languages.	4	2	5
9	What is the additional feature PDA has when compared with NFA? Is PDA superior over NFA in the sense L acceptance? Justify your answer.	4	2	4
Part – B				
10	Prove that if $L=N(PN)$ for some PDA $PN = (Q, \Sigma, \Gamma, \delta, q_0, Z_0, F)$, then there is a PDA PF such that $L=L(PF)$.	4	1,2	2
11	Prove that if $M1 = (Q, \Sigma, \Gamma, \delta, q_0, Z_0, F)$ accept by final state, we can find a PDA $M2$, accepting L by empty store i.e., $L = L(M1) = N(M2)$.	4	1,2	2
12	Construct a PDA that accepts the following languages a. $L = \{wcrw \mid W \text{ in } (0+1)^*\}$ by empty stack or final state b. $L = \{wwR ; w \in (0+1)^*\}$ by empty stack or final state c. $L = \{0^n 1^n ; n \geq 0\}$ accepted by empty stack or final state d. $L = \{anbmcmdn ; n, m \geq 1\}$ accepted by empty store and check whether the string $w = aaabcbdd$ is accept or not.	4	2,3	6
13	Construct a PDA that will accept the language generated by the grammar $G = (\{S, A\}, \{a, b\}, P, S)$ with the productions $S \rightarrow AA / a, A \rightarrow SA / b$ and test whether “abbabb” is in $N(M)$.	4	2,3	6
14	Consider the grammar $G = (V, T, P, S)$ and test whether “0101001” is in $N(M)$. Where Productions are $S \rightarrow 0S/1A/1/0B/0$ $A \rightarrow 0A/1B/0/1$ $B \rightarrow 0B/1A/0/1$	4	2,3	4
15	Construct a PDA from the given CFG $G = (\{S, A\}, \{a, b\}, P, S)$ where the productions are $S \rightarrow AS / \epsilon$ and $A \rightarrow aAb / Sb / a$	4	2,3	6
16	Construct a PDA from the following CFG. $G = (V, T, P, S)$ with $V = \{S\}$, $T = \{a, b, c\}$, and $P = \{S \rightarrow aSa, S \rightarrow bSb, S \rightarrow c\}$	4	2,3	6
17	Convert the PDA $P = (\{p, q\}, \{0,1\}, \{X, Z_0\}, \delta, q, Z_0)$ to a CFG. Where δ is given below: $\delta(q_0, 0, S) = \{(q_0, AS)\}$ $\delta(q_0, 0, A) = \{(q_0, AA), (q_1, S)\}$ $\delta(q_0, 1, A) = \{(q_1, \epsilon)\}$ $\delta(q_1, 1, A) = \{(q_1, \epsilon)\}$ $\delta(q_1, \epsilon, A) = \{(q_1, \epsilon)\}$ $\delta(q_1, \epsilon, S) = \{(q_1, \epsilon)\}$	4	2,3	5

18	<p>Convert the PDA $P = (\{p, q\}, \{0,1\}, \{X,Z0\}, \delta, q, Z0)$ to a CFG, if is given by</p> <p>$\delta(q, 1, Z0) = \{(q, XZ0)\}$ $\delta(q, 1, X) = \{(q, XX)\}$ $\delta(q, 0, X) = \{(p, X)\}$ $\delta(q, \epsilon, X) = \{(q, \epsilon)\}$ $\delta(p, 1, X) = \{(p, \epsilon)\}$ $\delta(p, 0, Z0) = \{(q, Z0)\}$</p>	4	2,3	5
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Unit – V

Sl. No	Questions	CO	PO	BT
Part – A				
1	What is a Turing Machine?	5	1	4
2	Define a Turing Machine.	5	1	1
3	Define Instantaneous description of TM.	5	1	1
4	What are the applications of TM?	5	1	4
5	What are the required fields of an instantaneous description or configuration of a TM.	5	1	4
6	Differentiate PDA and TM.	5	2	3
7	Define Universal TM	5	1	1
8	When is a function f said to be Turing computable?	5	2	4
9	Explain the Class of Grammars.	5	1	2
10	Discuss about PCP.	5	2	2
11	Differentiate PCP and MPCP.	5	2	4
Part – B				
12	Design a TM to recognize the language $L = \{a^n b^n; n > 0\}$ and test whether the strings “aabb” is accepts or not.	5	2,3	6
13	Design a TM to recognize the language $L = \{ww^r; w \in (a+b)^*\}$ and test whether the strings “abba” is accepts or not.	5	2,3	6
14	Design a TM to recognize the language $L = \{wcw^r; w \in (0+1)^*\}$.	5	2,3	6
15	Design a Turing machine to compute proper subtraction $m-n$.	5	2,3	6
16	Explain the class of Grammars with example.	5	1,2	2
17	Explain the PCP and MPCP with example	5	1,2	2